

Geodynamic Insights into Patterns of Shear Wave Anisotropy in Subduction Zones

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Seek ye first the good things of the mind, and the rest will either
be supplied or its loss will not be felt.

-Sir Francis Bacon

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To my grandfather William Arthur Kneller

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